

Robot learning from few demonstrations

by exploiting the structure and geometry of data

Sylvain Calinon

Senior Researcher

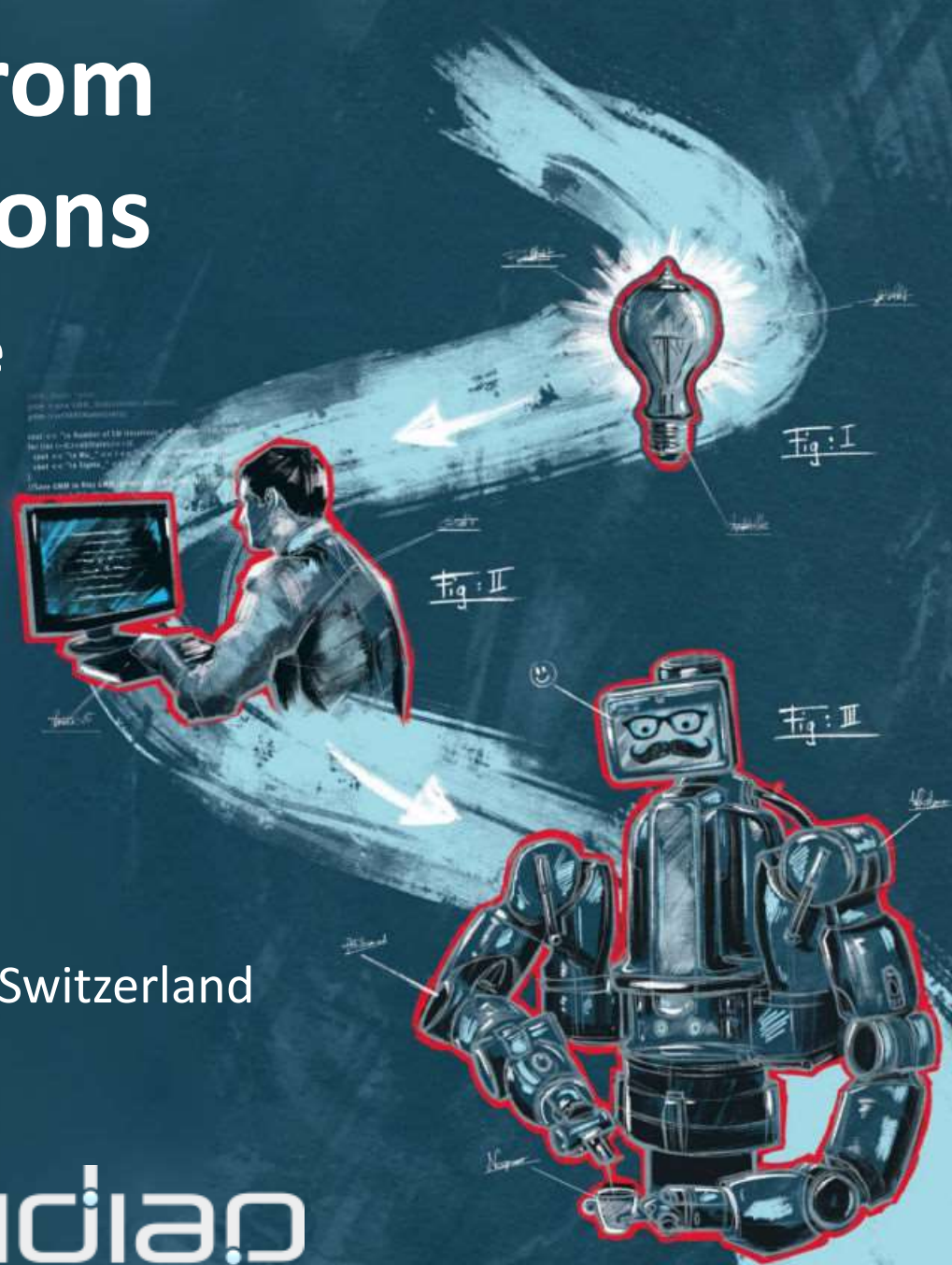
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External Collaborator

IIT, Genoa, Italy





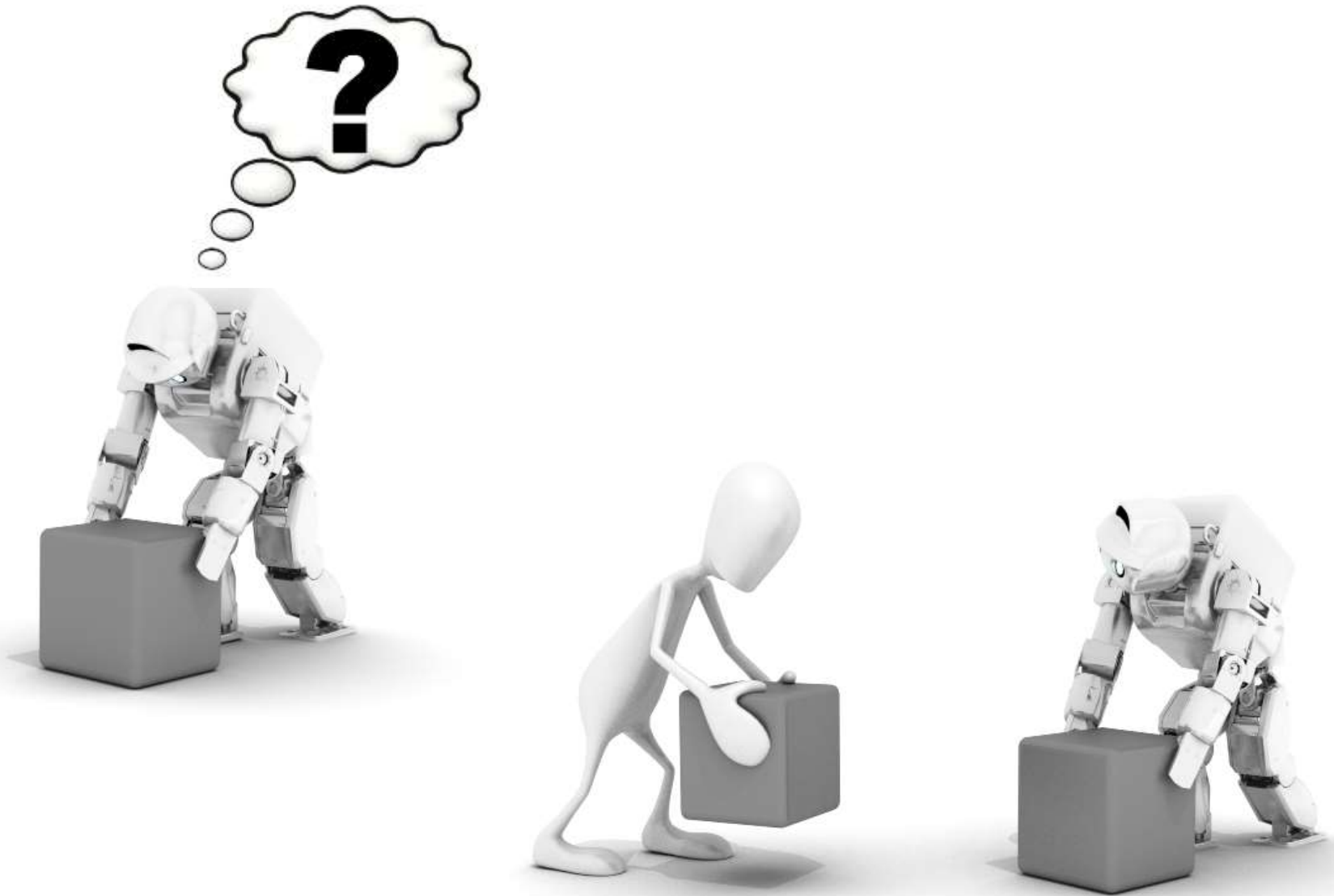
Artificial Intelligence for Society

Research Groups:

- Speech & Audio Processing
- Perception & Activity Understanding
- Computer Vision & Learning
- Social Computing
- Biometric Person Recognition
- Applied Machine Learning
- Natural Language Processing
- **Robot Learning & Interaction**
- Computational Bioimaging
- Uncertainty Quantification and Optimal Design

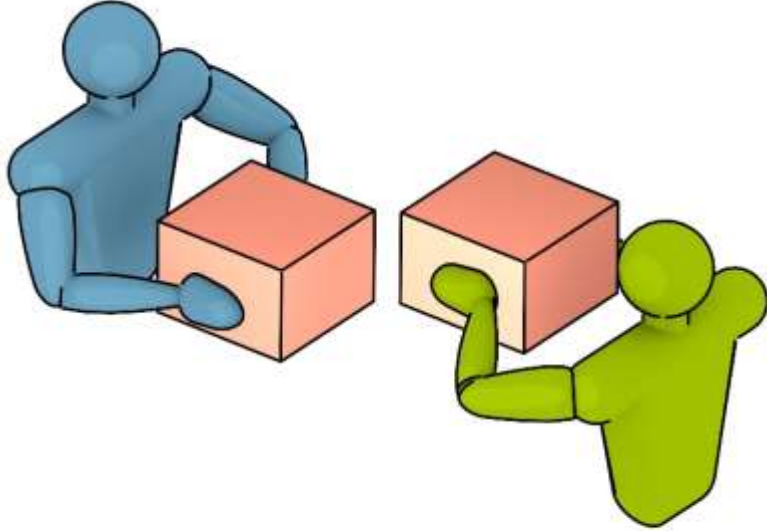


Research
Education
Technology transfer

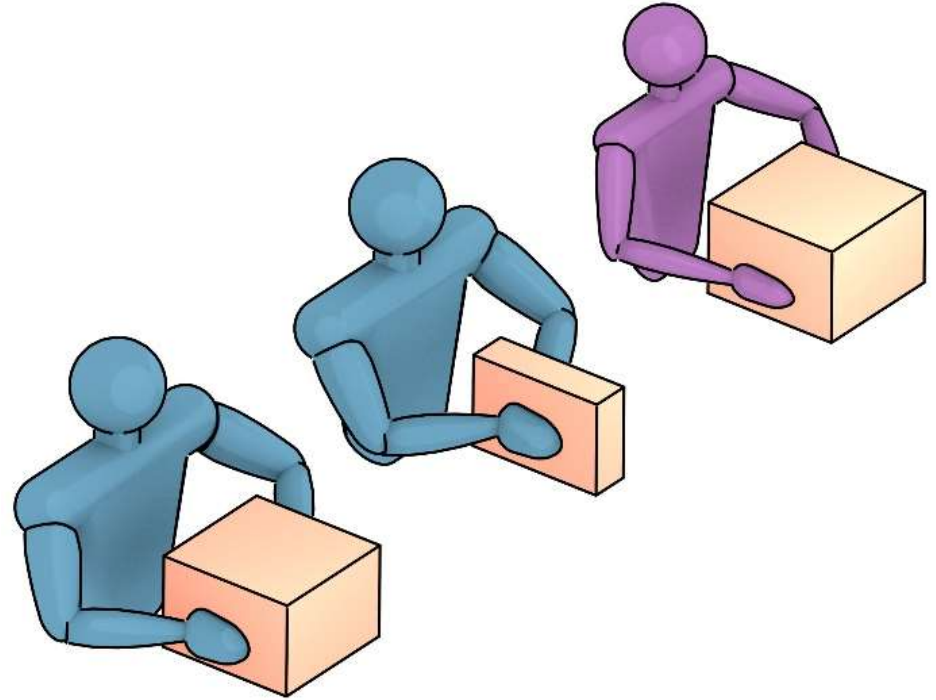


Learning from demonstration as an intuitive interface to transfer skills to robots

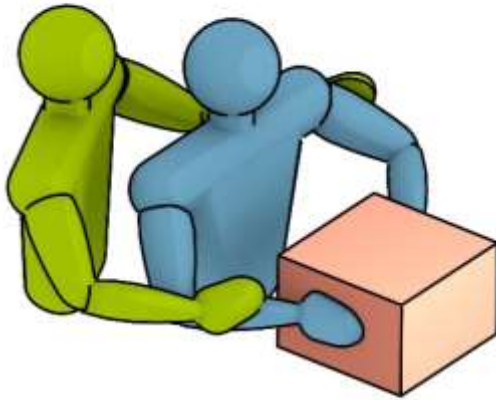
Learning from demonstration - Challenges



Observational learning



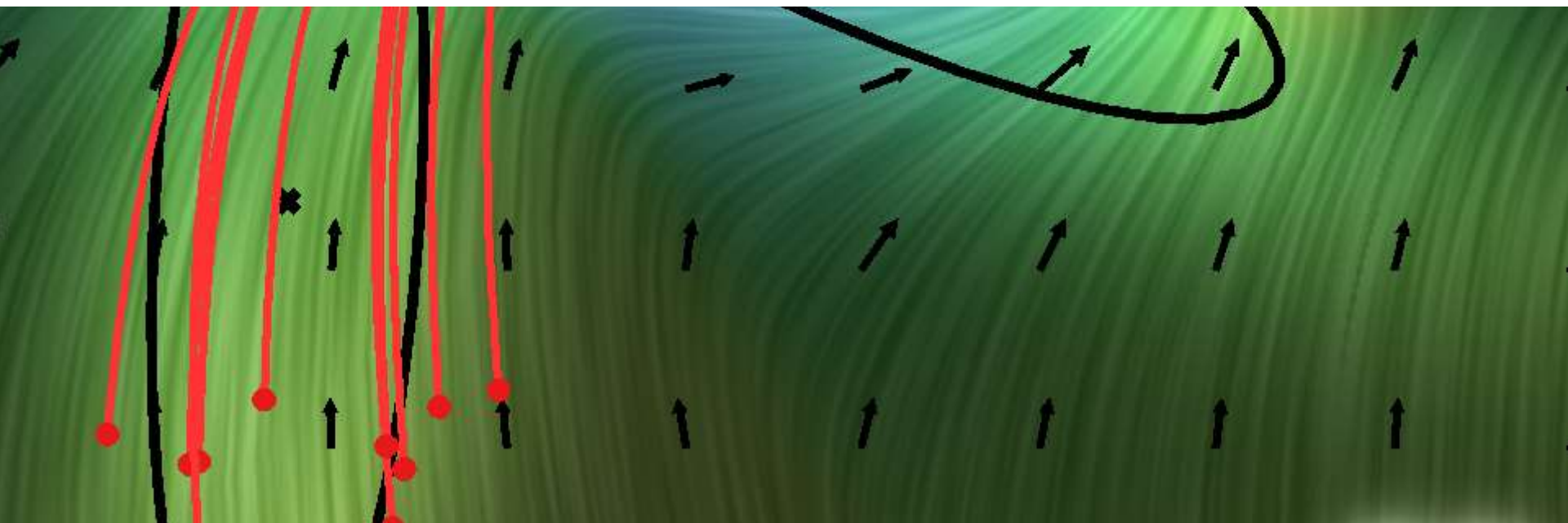
Correspondence problems



Kinesthetic teaching



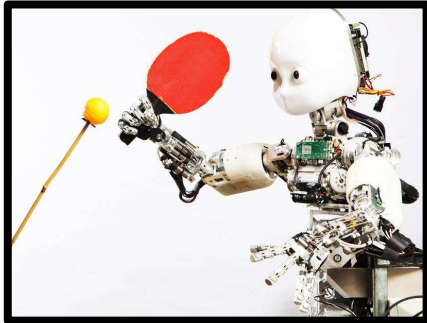
Finding *Priors* that are expressive enough to be used in a wide range of tasks



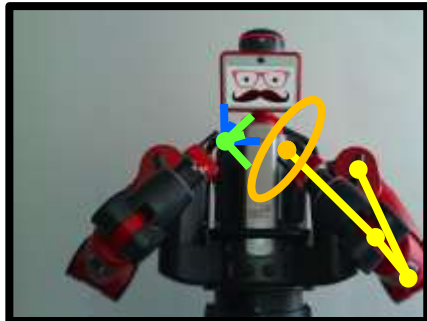
Outline



Prior 1: Movements are smooth and continuous

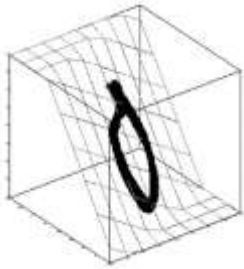


Prior 2: Actions often relate to objects, tools or body landmarks

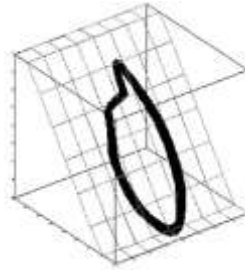


Prior 3: Data spaces in robotics have geometries and structures

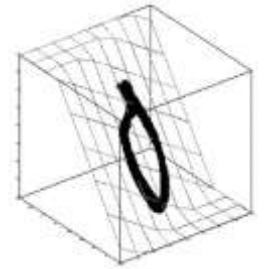
Movement generation as a mix of **clustering**, **subspace analysis** and **optimal control**



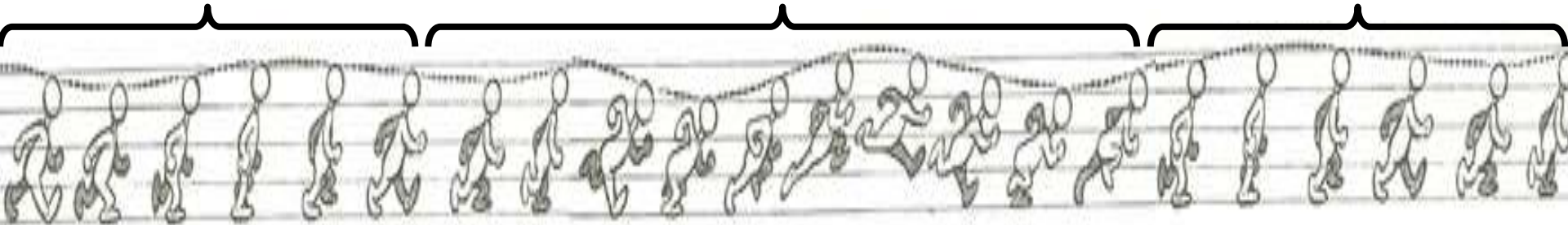
Walking



Running



Walking



We look for a **compact and modular representation** of **continuous movements and skills** that can learn from **few interactions** (with user and environment), that can **exploit variation and coordination**, and that can **adapt to new situations** in a fast manner.

Learning of motions from few demonstrations

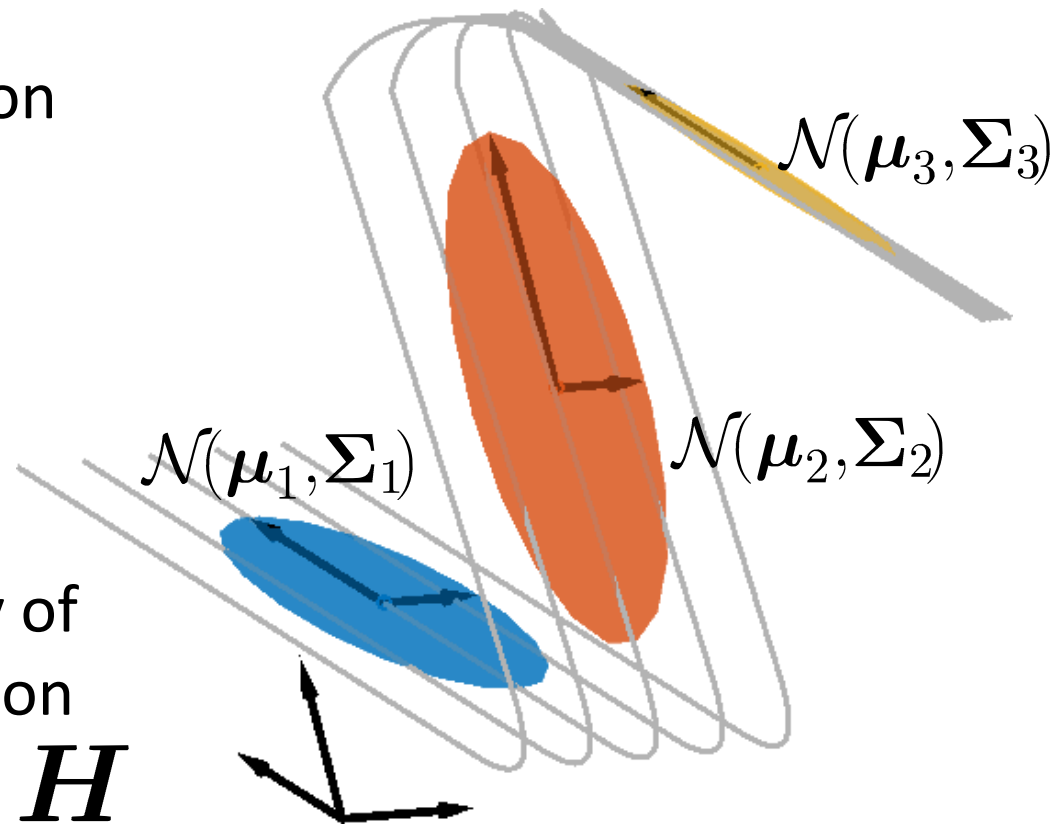
μ_i center

Σ_i covariance matrix

Sharing of local coordination patterns with:

$$\Sigma_i = \mathbf{H} \Sigma_i^{(diag)} \mathbf{H}^\top$$

Dictionary of coordination patterns: \mathbf{H}



Learning minimal intervention controllers

$$\min_{\mathbf{u}} \sum_{t=1}^T \left\| \hat{\mathbf{x}}_t - \mathbf{x}_t \right\|_{\mathbf{Q}_t}^2 + \left\| \mathbf{u}_t \right\|_{\mathbf{R}_t}^2$$

Track path! Use low control commands!

$$\text{s.t. } \dot{\mathbf{x}}_t = \mathbf{A}\mathbf{x}_t + \mathbf{B}\mathbf{u}_t$$

System plant

Approach: solving analytically a basic form of **model predictive control (MPC)** in task space with a **double integrator** as constant linear system

\mathbf{x}_t state variable (position+velocity)

$\hat{\mathbf{x}}_t$ desired state

\mathbf{u}_t control command (acceleration)

\mathbf{Q}_t tracking weight matrix

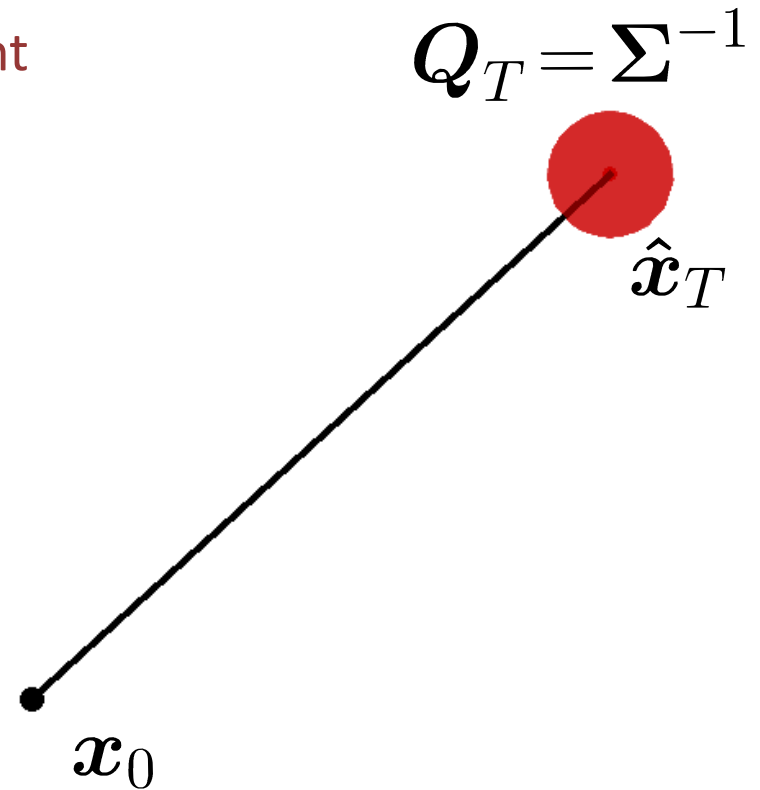
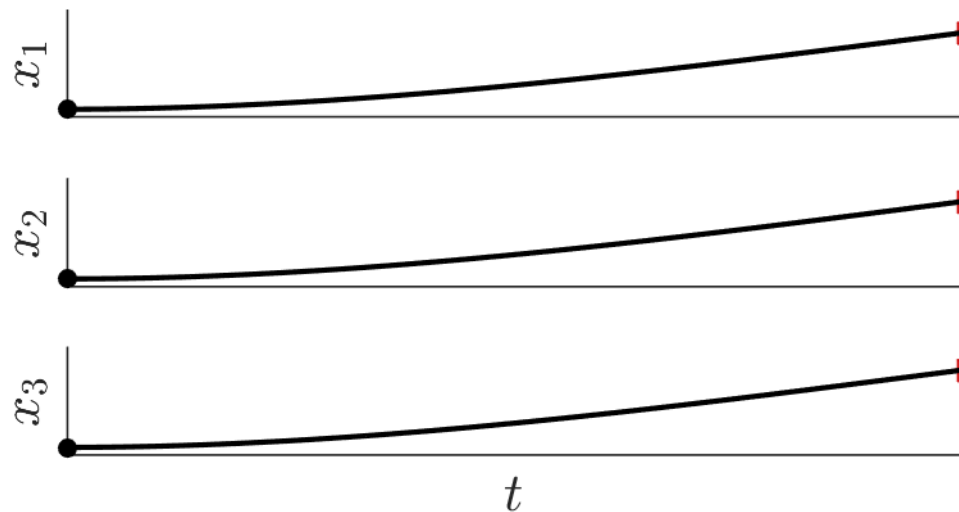
\mathbf{R}_t control weight matrix

Learning minimal intervention controllers

$$\min_u \sum_{t=1}^T \left\| \hat{\mathbf{x}}_t - \mathbf{x}_t \right\|_{Q_t}^2 + \left\| \mathbf{u}_t \right\|_{R_t}^2$$

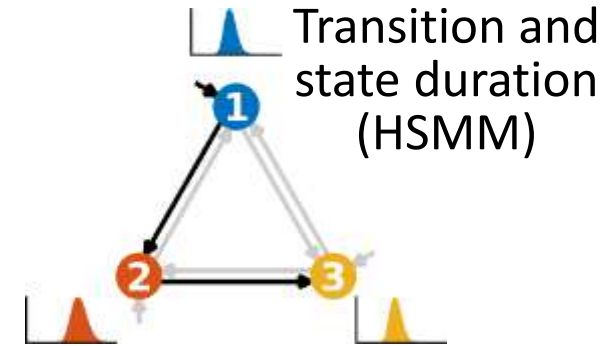
Track path! Use low control commands!

$$\text{s.t. } \dot{\mathbf{x}}_t = \mathbf{A}\mathbf{x}_t + \mathbf{B}\mathbf{u}_t \quad \text{System plant}$$



Learning minimal intervention controllers

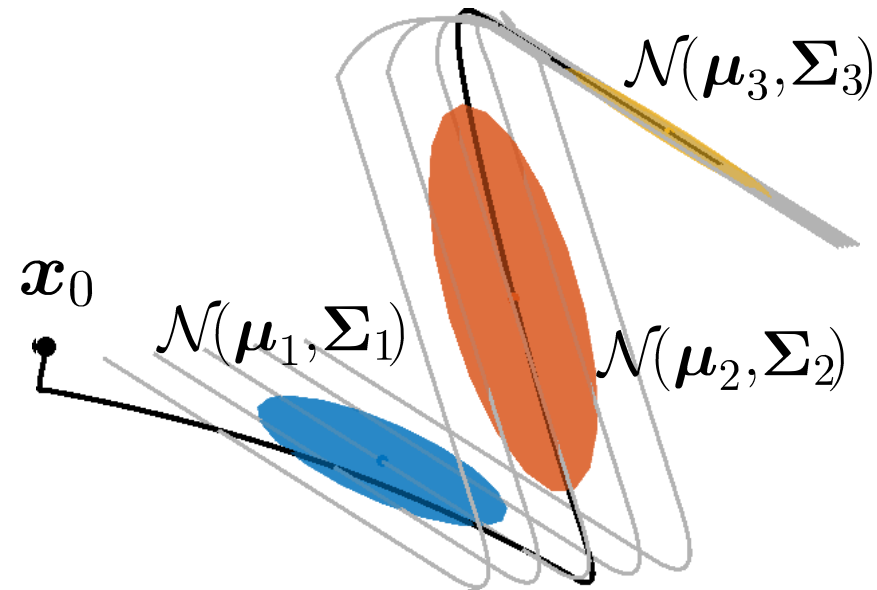
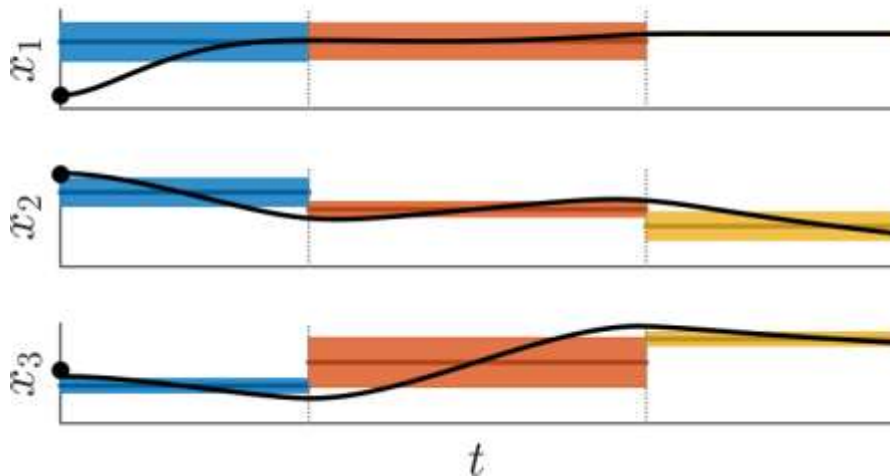
➔ Analytical solution to generate motion control by following a minimal intervention principle



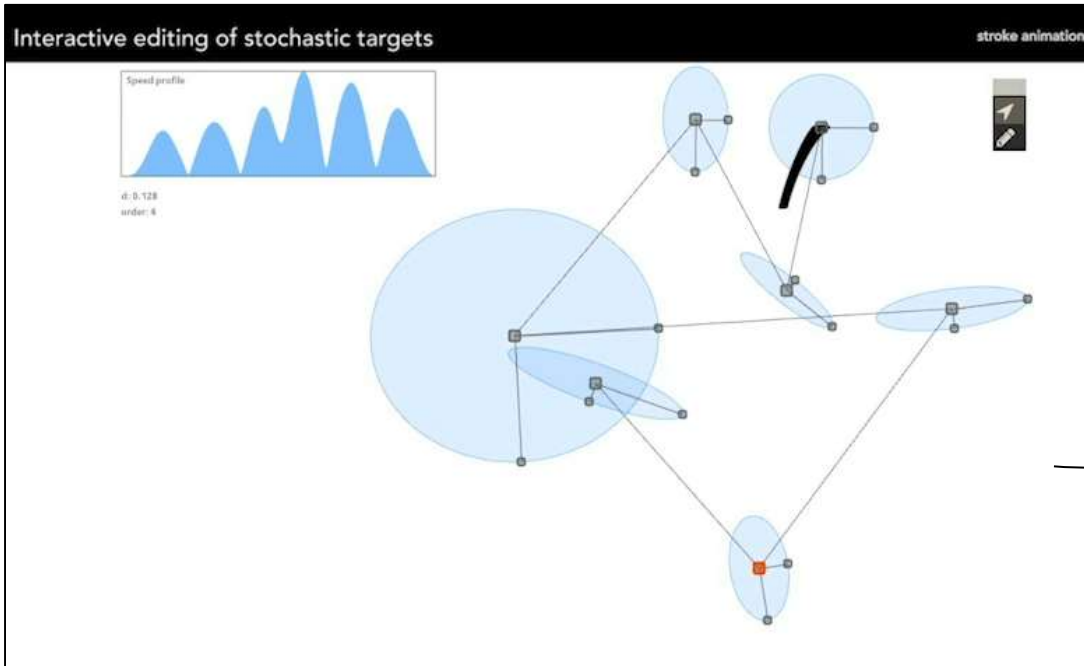
Stepwise reference with:

$$\hat{x}_t = \mu_{s_t} \quad Q_t = \Sigma_{s_t}^{-1}$$

s_t 11111111122222222222222333333333



Application: Designing motions with variations



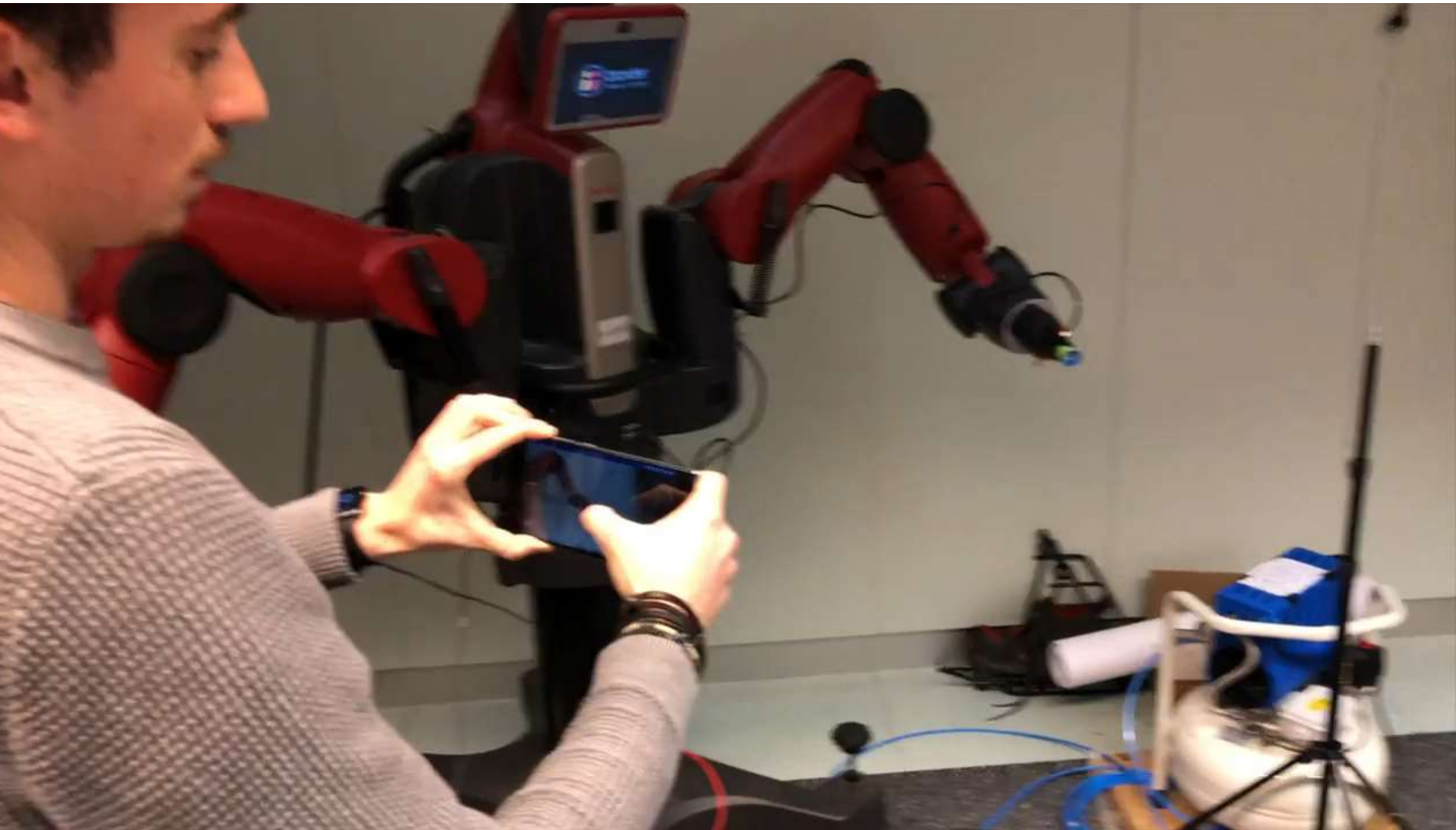
User interface to edit and generate natural and dynamic motions by considering variation and coordination

Compliant controller to retrieve safe and human-like motions



Daniel Berio Frederic Fol Leymarie

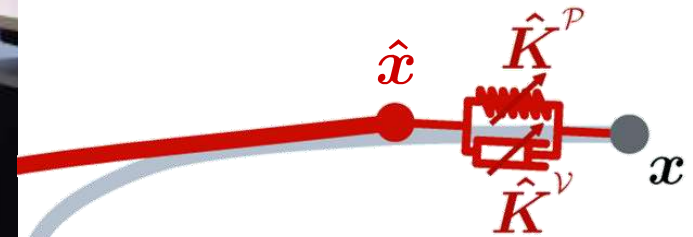
Extension to mobile augmented reality interface to visualize and program robot movements



Learning impedance controllers



Personalized assistance using **haptic and visual** information, with compliant controllers following a **minimal intervention principle**



Emmanuel Pignat



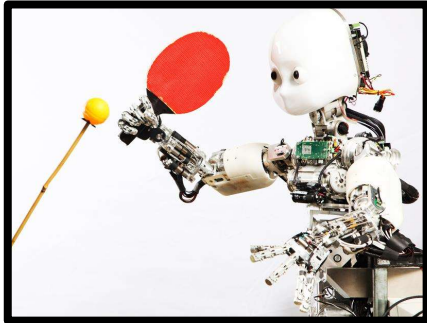
[Pignat and Calinon, RAS 93, 2017]



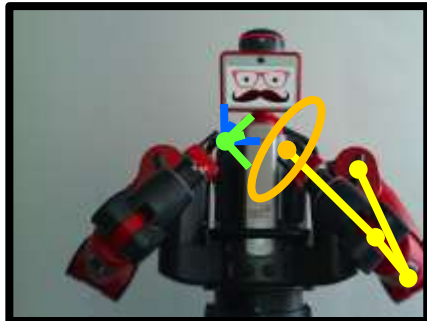
Outline



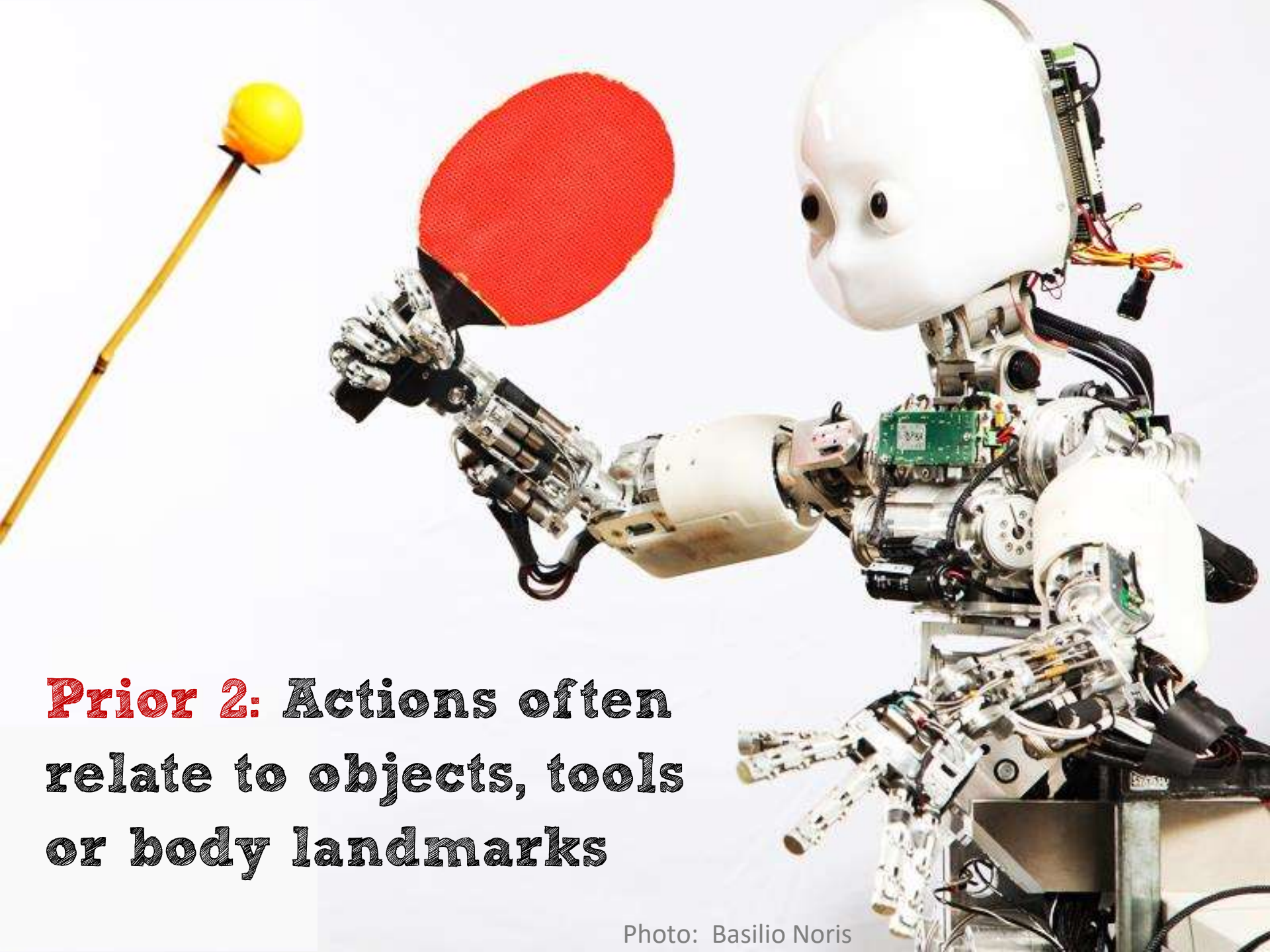
Prior 1: Movements are smooth and continuous



Prior 2: Actions often relate to objects, tools or body landmarks



Prior 3: Data spaces in robotics have geometries and structures



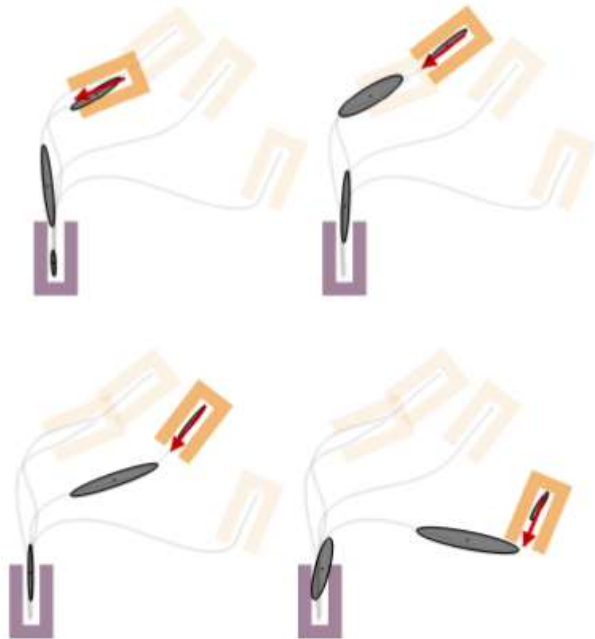
Prior 2: Actions often relate to objects, tools or body landmarks

Task-parameterized motions

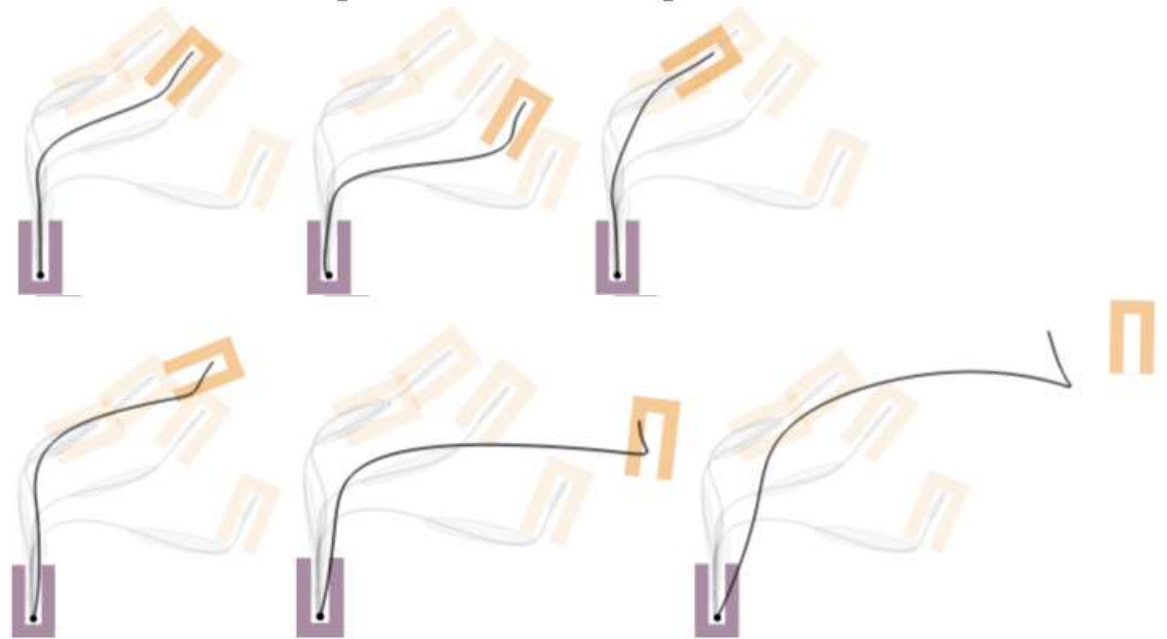
Regression with a context variable c :

- Learning of $\mathcal{P}(c, x)$
- Retrieval with $\mathcal{P}(x|c)$

Demonstrations



Reproduction attempts



→ **Generic approach, but limited generalization capability**

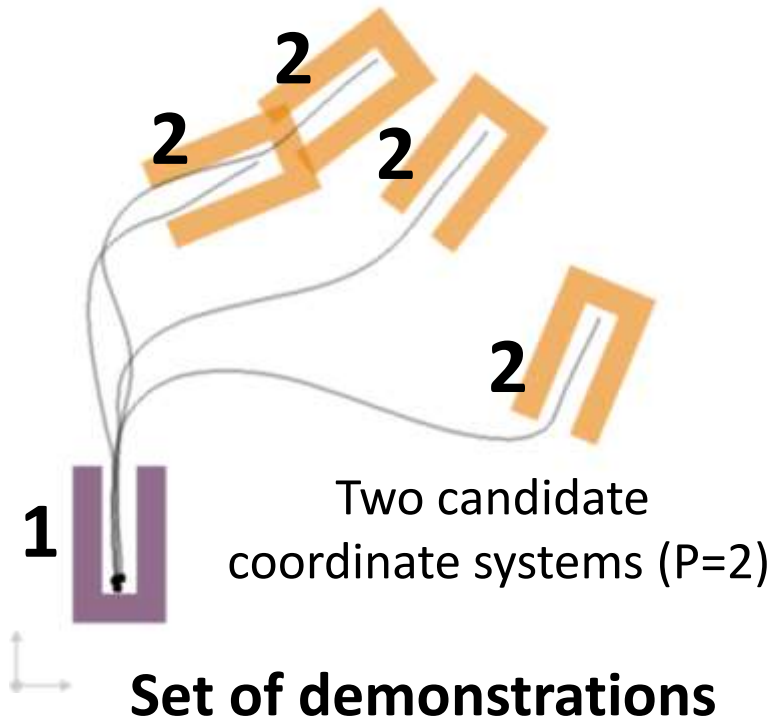
Control in multiple coordinate systems

Track path in coordinate system j

$$\min_{\mathbf{u}} \sum_{t=1}^T \sum_{j=1}^P \left\| \hat{\mathbf{x}}_t^{(j)} - \mathbf{x}_t \right\|_{\mathbf{Q}_t^{(j)}}^2 + \left\| \mathbf{u}_t \right\|_{\mathbf{R}_t}^2$$

Use low control commands!

s.t. $\dot{\mathbf{x}}_t = \mathbf{A}\mathbf{x}_t + \mathbf{B}\mathbf{u}_t$



New position and orientation of coordinate systems 1 and 2

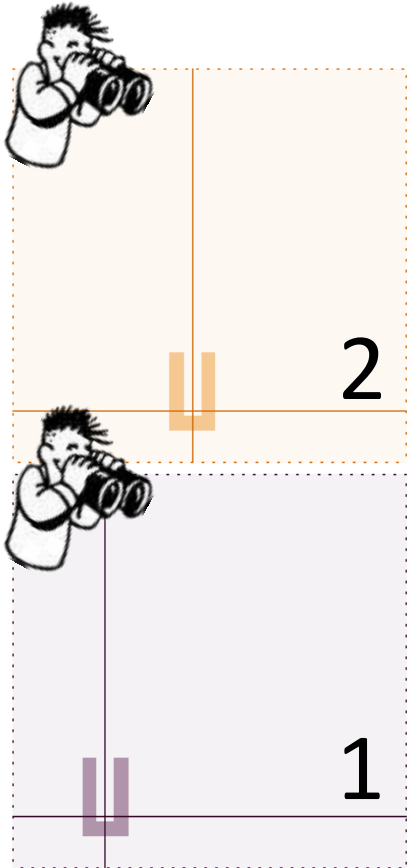
Reproduction in new situation

Control in multiple coordinate systems

$$\min_{\mathbf{u}} \sum_{t=1}^T \sum_{j=1}^P \left\| \hat{\mathbf{x}}_t^{(j)} - \mathbf{x}_t \right\|_{\mathbf{Q}_t^{(j)}}^2 + \left\| \mathbf{u}_t \right\|_{\mathbf{R}_t}^2$$

$$\text{s.t. } \dot{\mathbf{x}}_t = \mathbf{A}\mathbf{x}_t + \mathbf{B}\mathbf{u}_t$$

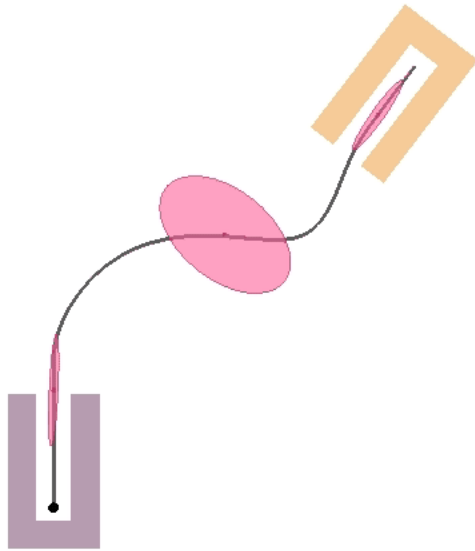
In many robotics problems, the parameters describing the task or situation can be interpreted as coordinate systems



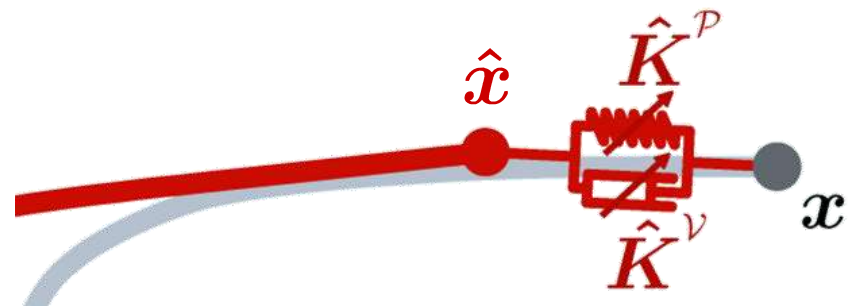
Control in multiple coordinate systems

$$\min_{\mathbf{u}} \sum_{t=1}^T \sum_{j=1}^P \left\| \hat{\mathbf{x}}_t^{(j)} - \mathbf{x}_t \right\|_{\mathbf{Q}_t^{(j)}}^2 + \left\| \mathbf{u}_t \right\|_{\mathbf{R}_t}^2$$

$$\text{s.t. } \dot{\mathbf{x}}_t = \mathbf{A}\mathbf{x}_t + \mathbf{B}\mathbf{u}_t$$



➔ **Learning of a controller**
(instead of learning a trajectory)
that adapts to new situations
while regulating the gains
according to the precision and
coordination required by the task



Control in multiple coordinate systems

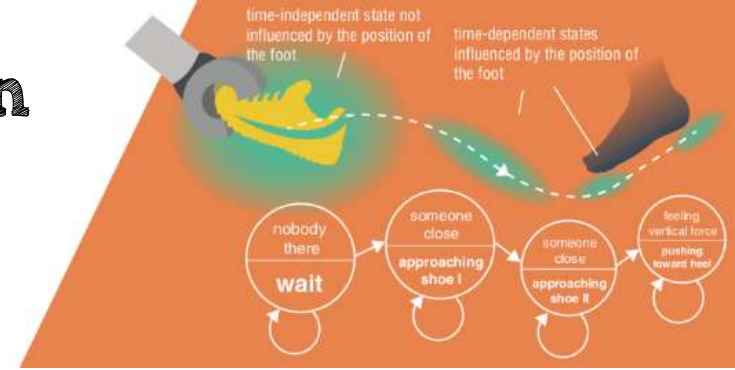
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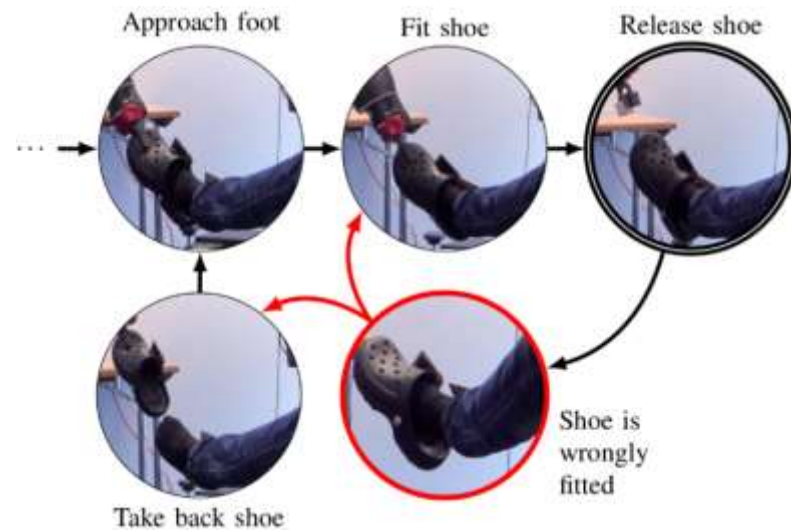


➔ Retrieval of control commands
in the form of trajectory distributions,
facilitating exploration and adaptation
(in either control or state space)

Assistive dressing application



SNSF, CHIST-ERA (2015-2018)

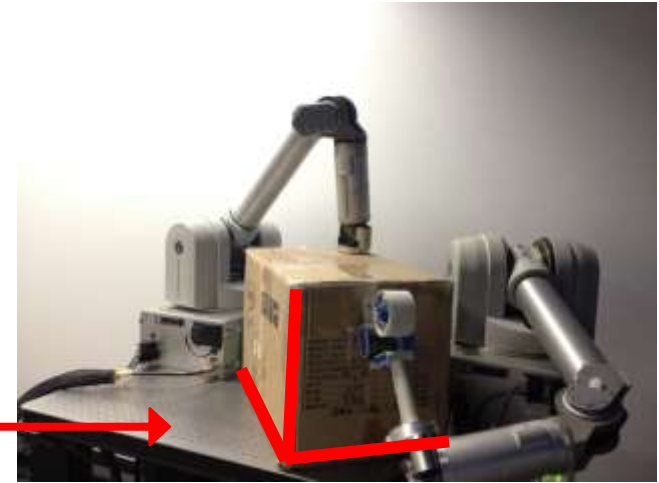


[Canal, Pignat, Alenya, Calinon and Torras, ICRA'2018]

Adaptation to different object shapes



Coordinate system as task parameter



Bimanual coordination and co-manipulation



[Silvério et al., IROS'2015]



[Rozo et al., IROS'2015]



[Rozo et al., IEEE T-RO 32(3), 2016]



Dr Leonel Rozo



Dr João Silvério

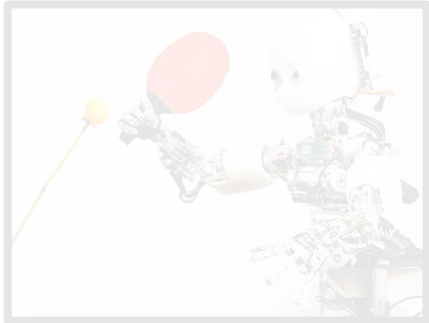


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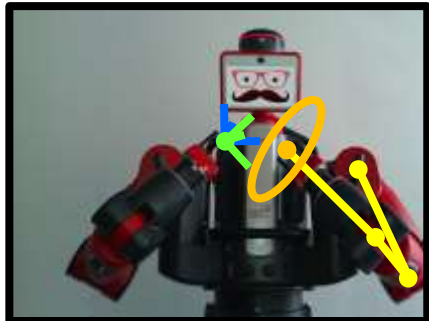
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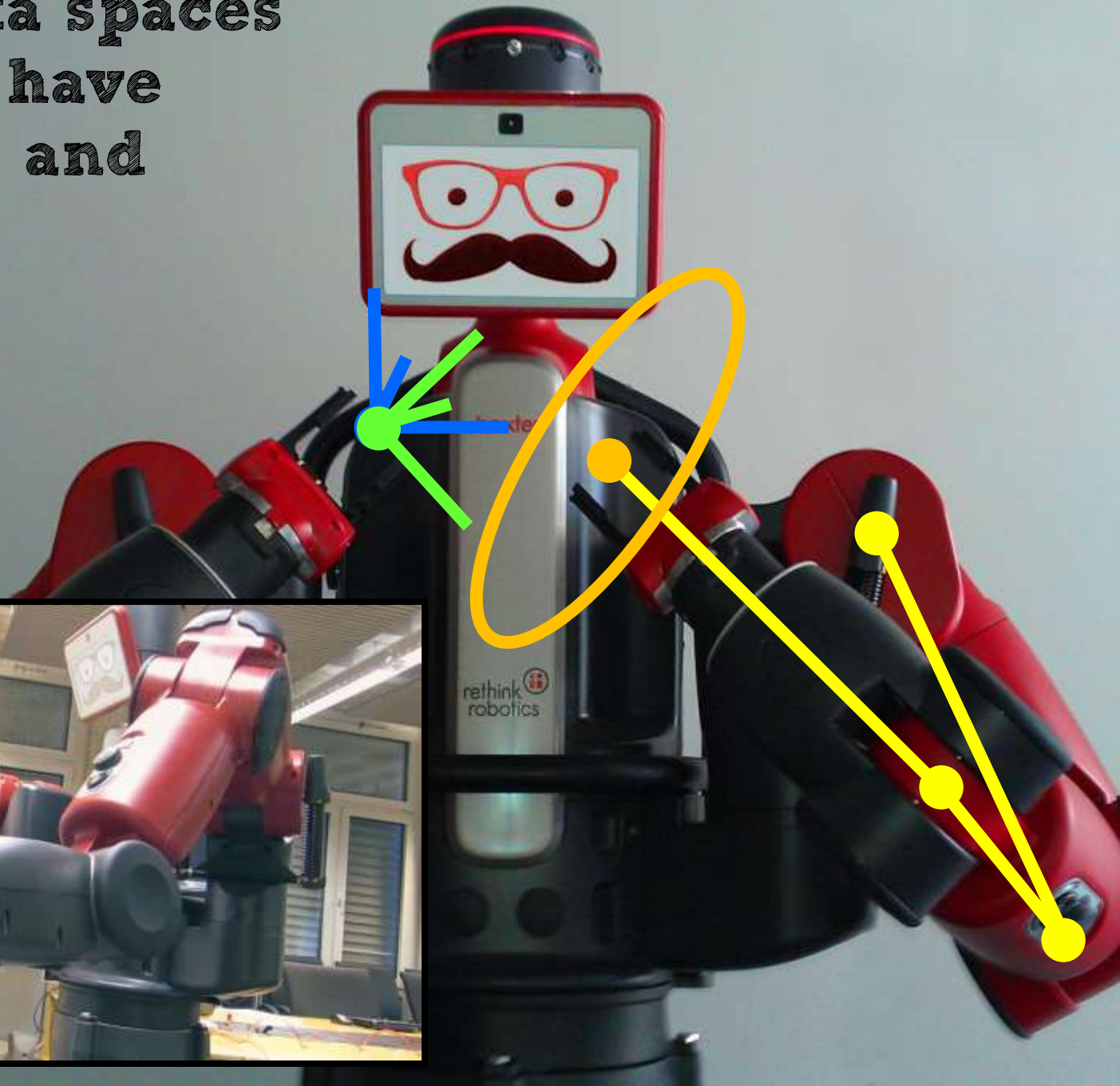


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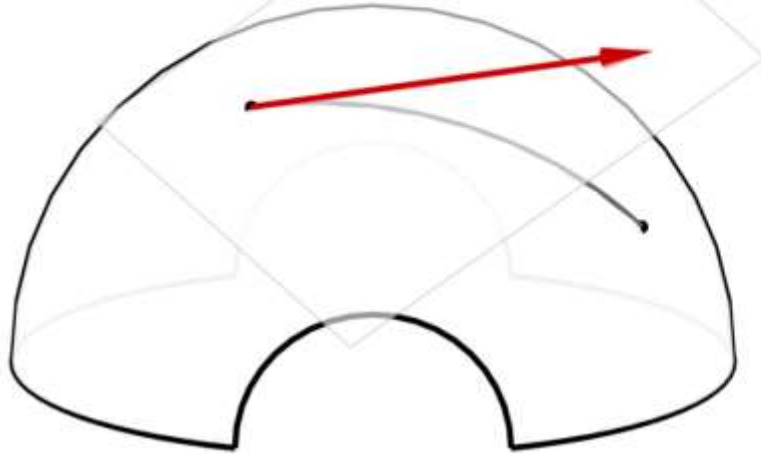


Prior 3: Data spaces in robotics have geometries and structures

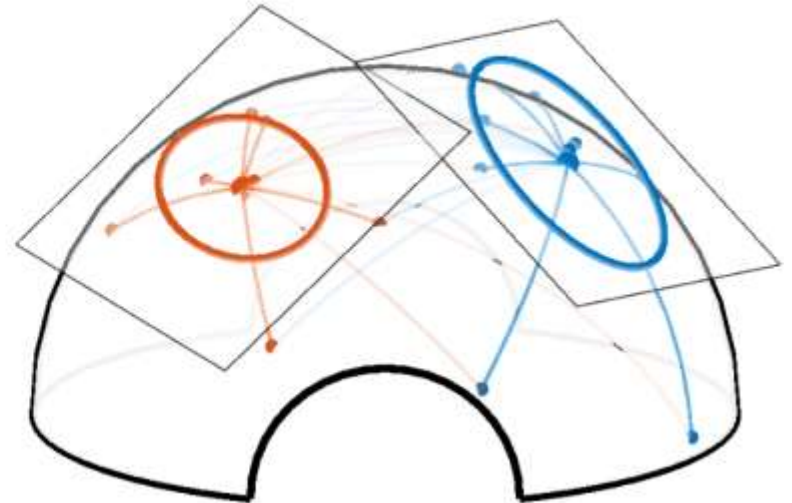
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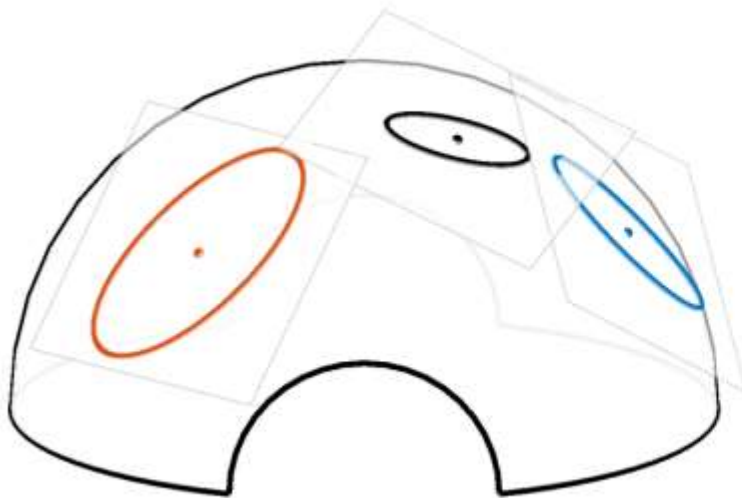
Motivation of using Riemannian manifolds



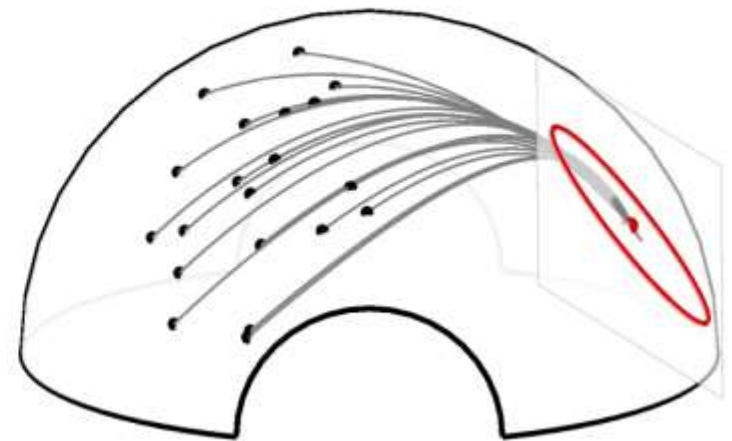
Interpolation and extrapolation



Clustering and distribution



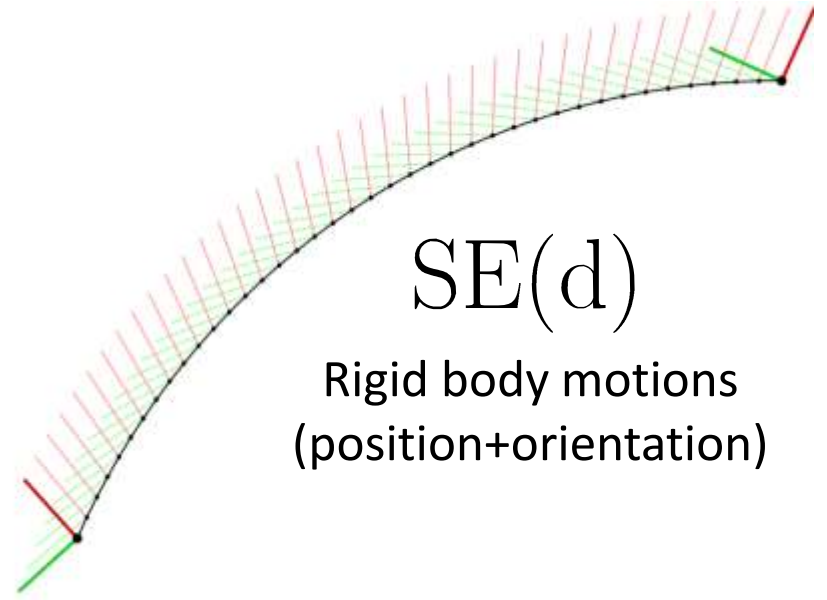
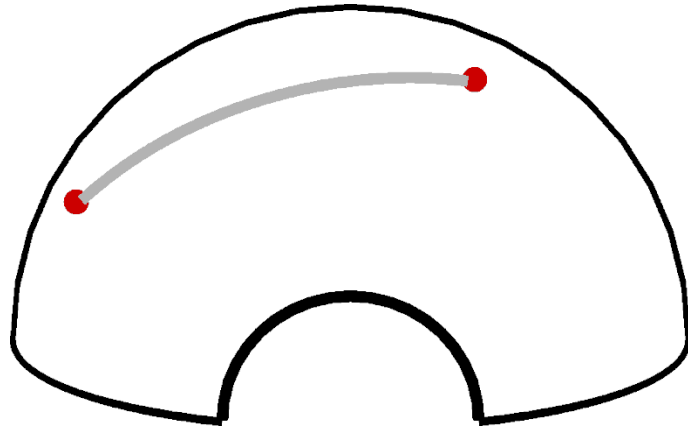
Fusion of sensing/control information



Linear quadratic tracking

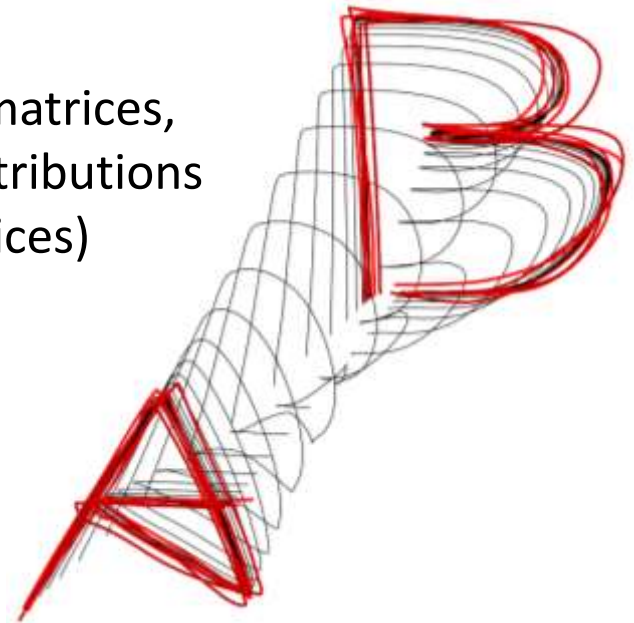
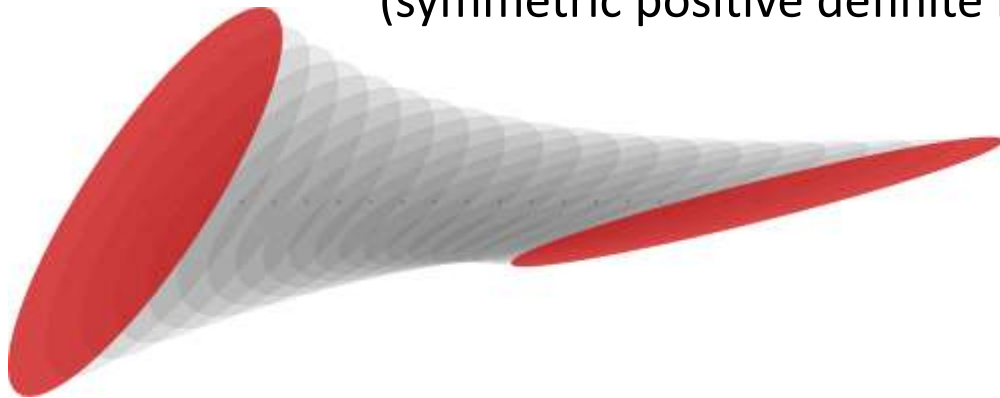
Interpolation on Riemannian manifolds

Orientation
(unit quaternions) \mathcal{S}^d

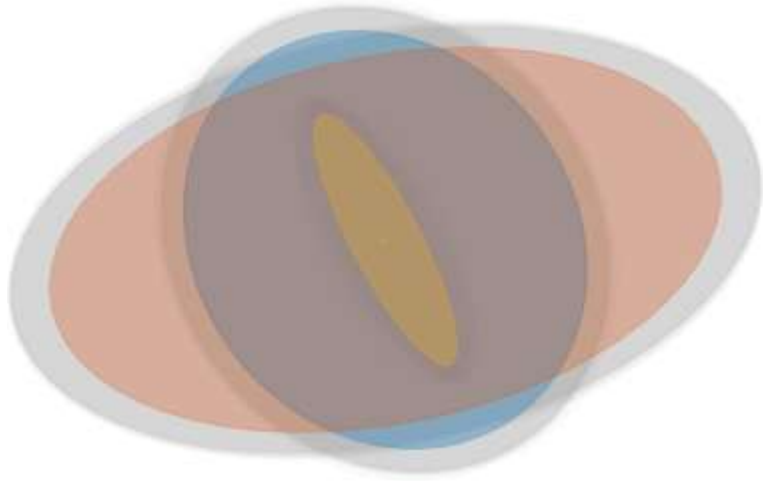


\mathcal{S}^d_{++}

Covariance features, inertia and gain matrices,
manipulability ellipsoids, trajectory distributions
(symmetric positive definite matrices)



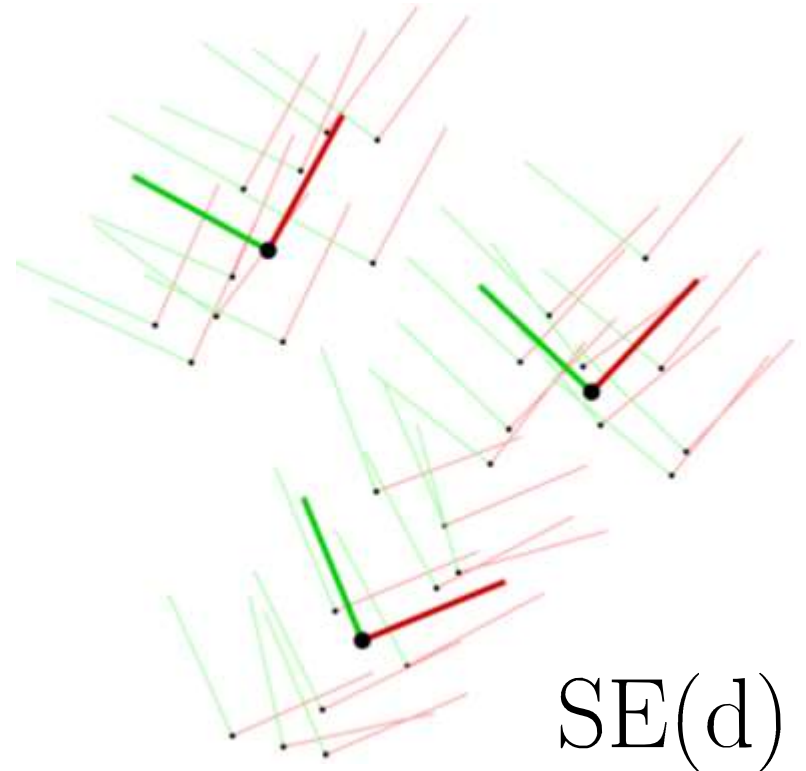
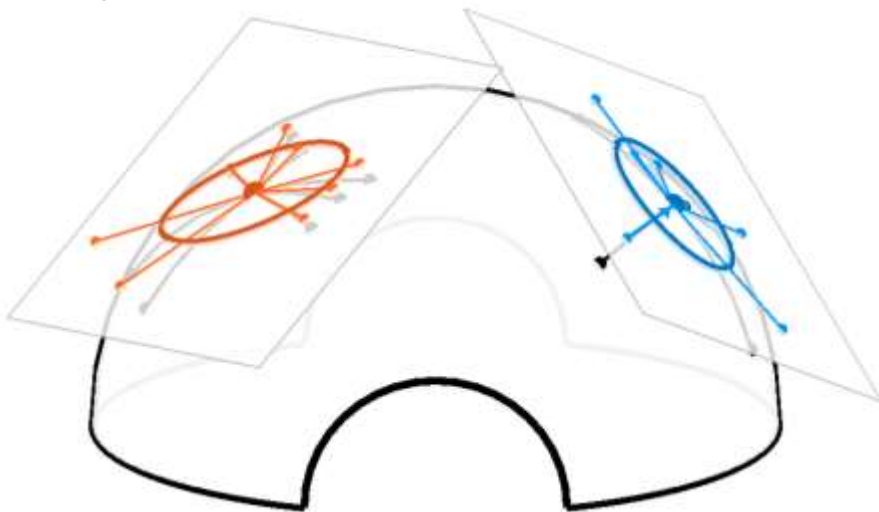
Clustering on Riemannian manifolds



$$\mathcal{S}_{++}^d$$

Covariance features, inertia and gain matrices, manipulability ellipsoids, trajectory distributions (symmetric positive definite matrices)

Orientation (unit quaternions) \mathcal{S}^d



$$\text{SE}(d)$$

Rigid body motions (position+orientation)

Regression with orientation and position data

Four demonstrations of coordinated bimanual movement



Regression with orientation and position data

Four reproductions with perturbations by the user



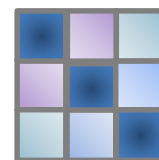
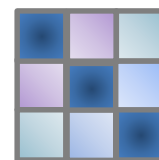
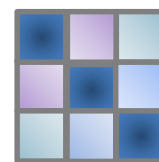
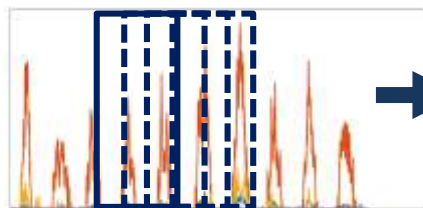
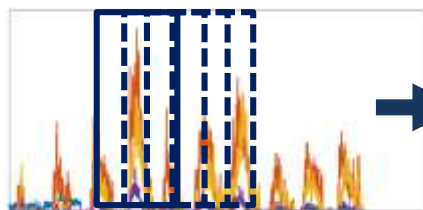
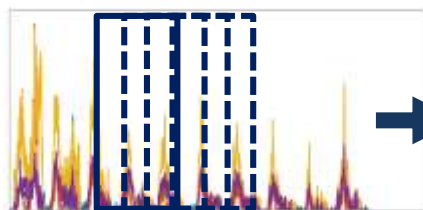
Regression with sEMG sensory data



Noémie Jaquier



Surface
electromyography
(sEMG) measurements



Transformation in **spatial**
covariances
(SPD matrices)

Control of the
corresponding
hand pose

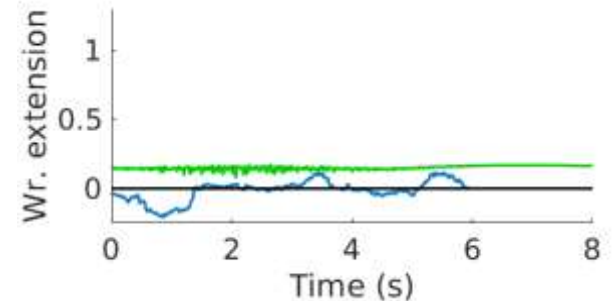
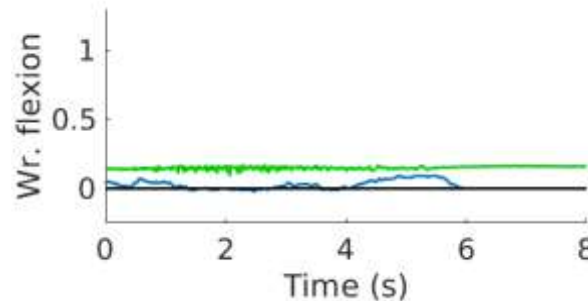
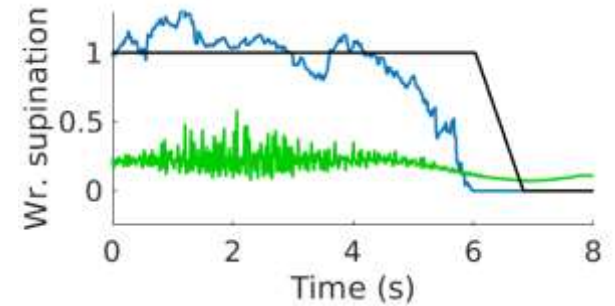
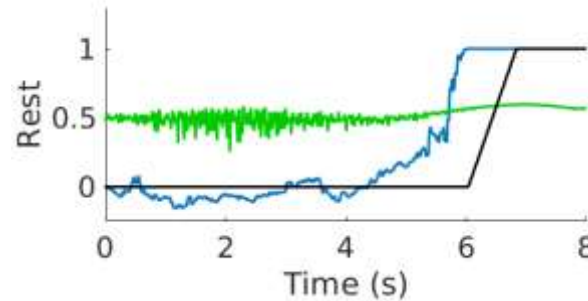
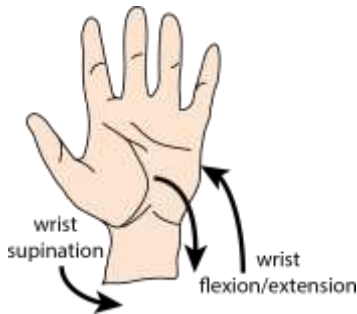
Comparison: standard GMR vs geometric GMR



sEMG data from Ninapro database processed as spatial covariances:

$$\text{Input} \in \mathcal{S}_{++}^{12}$$

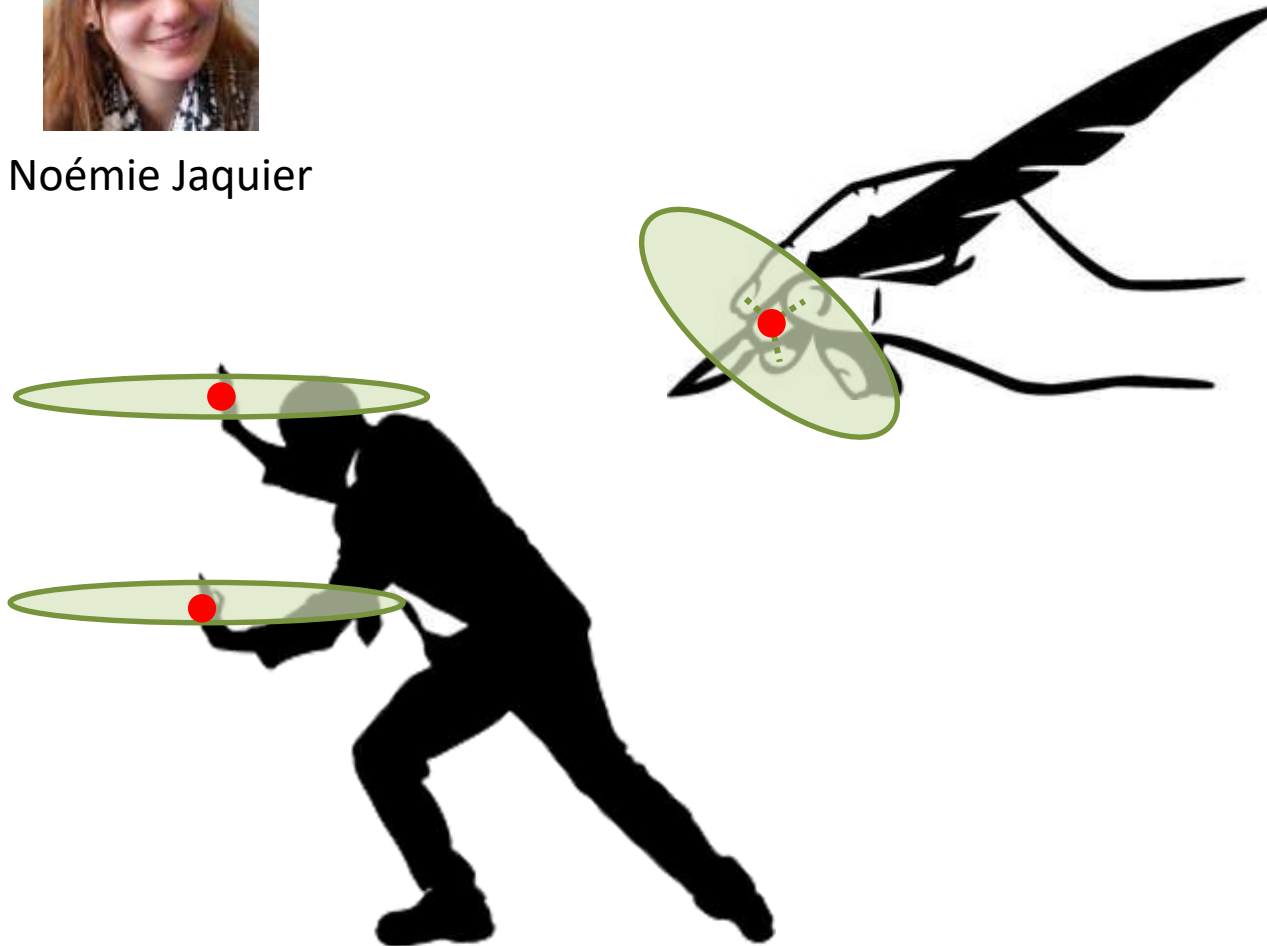
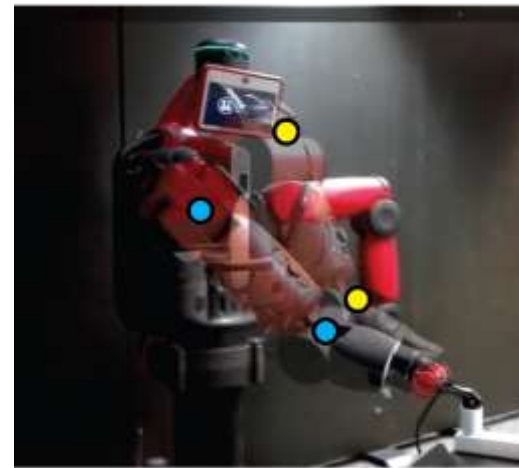
$$\text{Output} \in \mathbb{R}^4$$



Manipulability ellipsoid tracking



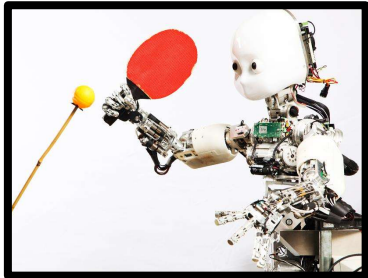
Noémie Jaquier



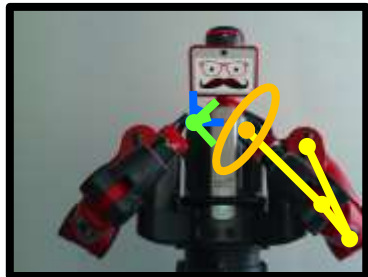
Conclusion



Combining **statistical learning** techniques and **model predictive control** provides a generative approach to the **transfer of skills and movements**



Statistical learning in **multiple coordinate systems** can be exploited to learn robot skills and movements from few demonstrations, with **adaptation to new situations**



Robotics is rich in **structures** and **geometries** that can be exploited to acquire skills and movements from a **small set of interactions** (with user or environment)

Source codes (Matlab/Octave, C++ and Python):

<http://www.idiap.ch/software/pbdlib/>

Contact:

sylvain.calinon@idiap.ch

<http://calinon.ch>

*Robot Learning & Interaction
Group at Idiap:*



Dr Andras Kupcsik



Dr Antonio Paolillo



Noémie Jaquier



Emmanuel Pignat



Thibaut Kulak



Nicolas Desprès



Hakan Girgin

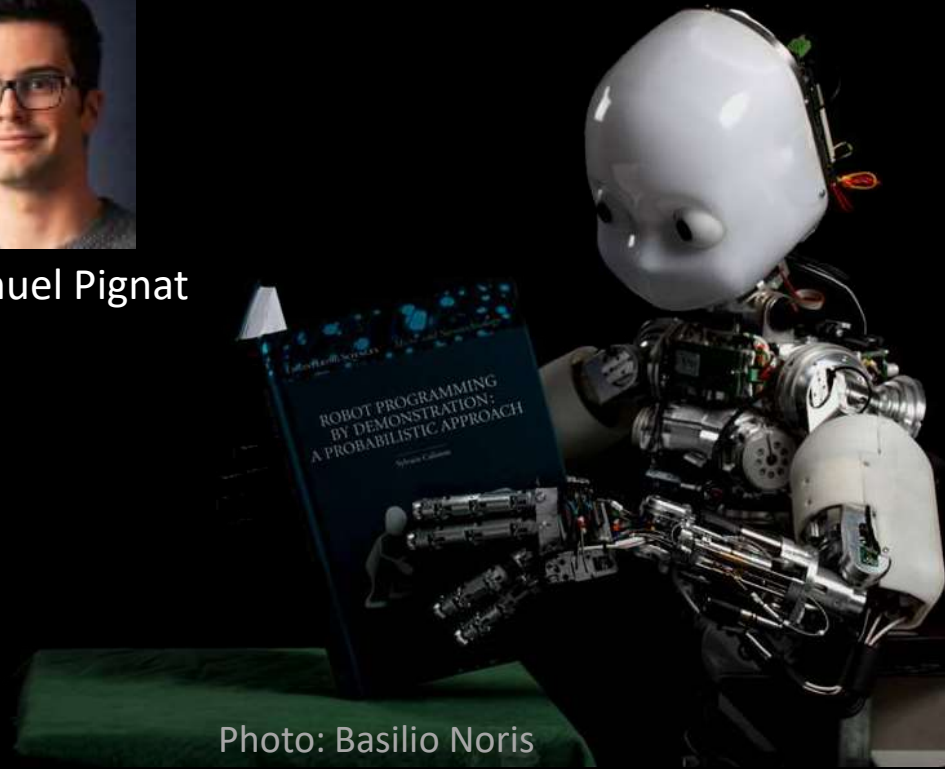


Photo: Basilio Noris